def is\_perfectoid (X : CLVRS) : Prop :=  $\forall x : X, \exists (U : \text{opens } X) (A : \text{Huber_pair}) [\text{perfectoid_ring } A],$  $(x \in U) \land (\text{Spa } A \equiv U)$ 

—The definition of a perfectoid space in Lean

## The Trivial Notions Seminar Proudly Announces

## The Calculus of Constructions

## A talk by Grant Barkley

## Abstract

I'll tell you how saying "A is of type B" can encode all of modern mathematics, and why a mathematician might want to do such a thing. An introduction to dependent type theory with inductive constructions and how the Lean/Coq theorem provers use it.

Friday, October 23<sup>rd</sup>, at 12 noon